Discussion of "A hierarchy of limitations in machine learning"

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Philosophy of Science & Technology of Computer Simulation Höchstleistungsrechenzentrum Stuttgart, University of Stuttgart [online], 2024 June 06. **Slides: https://MominMalik.com/hlrs2022.pdf**



Update: reproducibility in ML out!

Paper out!

The effect of dependencies on machine learning

Other concerns

References

SCIENCE ADVANCES | REVIEW

RESEARCH METHODS

REFORMS: Consensus-based Recommendations for Machine-learning-based Science

Sayash Kapoor^{1,2}*, Emily M. Cantrell^{3,4}, Kenny Peng⁵, Thanh Hien Pham^{1,2}, Christopher A. Bail^{6,7,8}, Odd Erik Gundersen^{9,10}, Jake M. Hofman¹¹, Jessica Hullman¹², Michael A. Lones¹³, Momin M. Malik^{14,15,16}, Priyanka Nanayakkara^{12,17}, Russell A. Poldrack¹⁸, Inioluwa Deborah Raji¹⁹, Michael Roberts^{20,21}, Matthew J. Salganik^{2,3,22}, Marta Serra-Garcia²³, Brandon M. Stewart^{2,3,22,24}, Gilles Vandewiele²⁵, Arvind Narayanan^{1,2}

Machine learning (ML) methods are proliferating in scientific research. However, the adoption of these methods has been accompanied by failures of validity, reproducibility, and generalizability. These failures can hinder scientific progress, lead to false consensus around invalid claims, and undermine the credibility of ML-based science. ML methods are often applied and fail in similar ways across disciplines. Motivated by this observation, our goal is to provide clear recommendations for conducting and reporting ML-based science. Drawing from an extensive review of past literature, we present the REFORMS checklist (recommendations for machine-learning-based science). It consists of 32 questions and a paired set of guidelines. REFORMS was developed on the basis of a consensus of 19 researchers across computer science, data science, mathematics, social sciences, and biomedical sciences. REFORMS can serve as a resource for researchers when designing and implementing a study, for referees when reviewing



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The effect of dependencies on machine learning

Other concerns

References

The effect of dependencies in machine learning

Summary

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The effect of dependencies on machine learning

Other concern

- Machine learning generally ignores dependencies between observations (assumes iid)
- This is usually justified for model *fitting*; and the major impact of dependencies is on *inference*.
- The problem is in our ability to estimate model performance; we think we are doing better than we actually are

Without (conditionally) iid, nonparametric models are unidentifiable

Paper ou

The effect of dependencie on machine learning

Other concern

References

"A number of problems, some quite fundamental, occur when nonparametric regression is attempted in the presence of correlated errors. Indeed, in the most general setting where no parametric shape is assumed for the mean nor the correlation function, the model is essentially unidentifiable, so that it is theoretically impossible to estimate either function separately." (Opsomer et al. 2001)

Estimator properties of estimates of model performance

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The effect of dependencie on machine learning

Other concern

- "Metaprediction—the prediction about predictions—is... an integral component of the predictive enterprise itself...
 Indeed, to characterize someone as a reliable predictor... is in effect to predict on one's own account that this agent's predictions will generally come true—and is thereby to make a metaprediction of sorts." (Rescher 1998)
- Metaprediction to at least third order is worthwhile
- First-order prediction: the prediction itself, \hat{y}
- Second-order prediction: $\mathbb{E}(\hat{y})$, estimate via CV
- Third-order prediction: $\mathbb{E}(\hat{\mathbb{E}}(\hat{y}))$, look at properties of CV

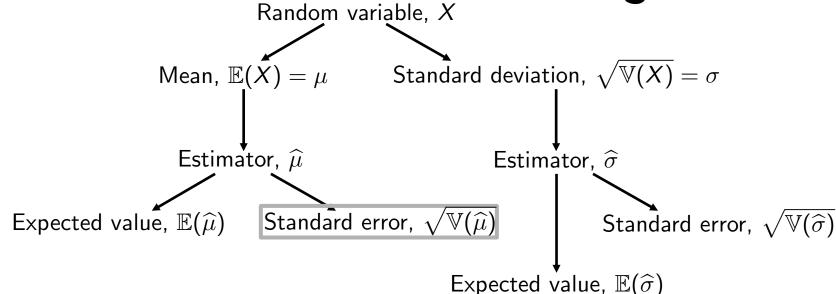
Inference (in statistics): If uncertainty of an estimator is less than the "signal"

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References



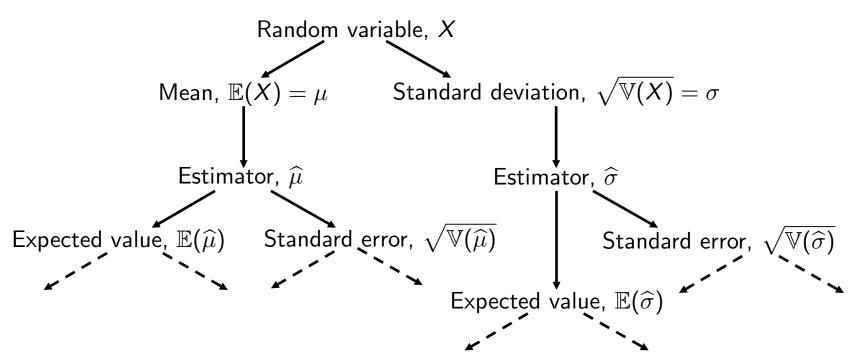
The *variance* of the *estimator* of the *mean* gives us the uncertainty of the estimate, and is given the special name of the *standard error*. If the uncertainty is small enough, we say we have made an *inference* to the underlying data-generating process.

Going on ad infinitum...

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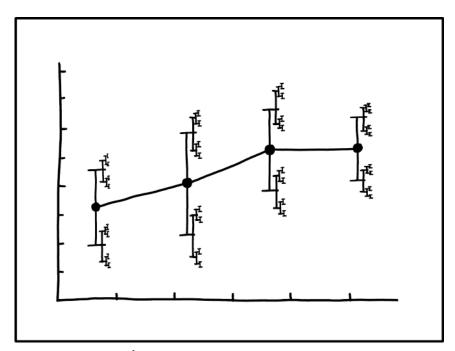
Going on ad infinitum...

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References



I DON'T KNOW HOW TO PROPAGATE ERROR CORRECTLY, SO I JUST PUT ERROR BARS ON ALL MY ERROR BARS.

https://xkcd.com/2110/

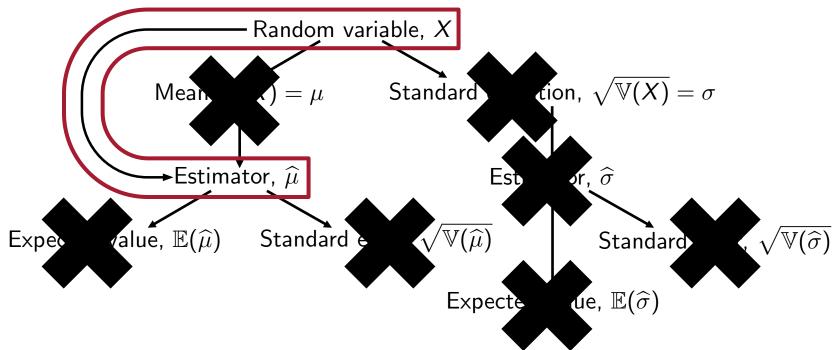
Machine learning: Instrumentalist

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Other concern

References



ML skips over the entire machinery of inference, creating estimators only to recover some aspect of held-out data. (*Statistical machine learning* brings theory back in, but for the purpose of seeing what best predicts, not what recovers information.) Part of what we argue in "REFORMS": must bring back in examination of properties of estimators of estimators (like held-out data)

Matrix bias-variance decomposition

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Other concerns

$$\begin{split} \operatorname{err}(\hat{\mu}) &= \frac{1}{n} \mathbb{E}_{f} \| Y - \widehat{Y} \|_{2}^{2} \\ &= \frac{1}{n} \left[\mathbb{E}_{f} \| Y \|_{2}^{2} + \mathbb{E}_{f} \| \widehat{Y} \|_{2}^{2} - 2 \mathbb{E}_{f} (Y^{T} \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\mathbb{E}_{f} \| Y \|_{2}^{2} + \mathbb{E}_{f} \| \widehat{Y} \|_{2}^{2} - 2 \operatorname{tr} \mathbb{E}_{f} (Y \widehat{Y}^{T}) \right] \\ &+ \frac{1}{n} \left[\mu^{T} \mu + \mathbb{E}_{f} (\widehat{Y})^{T} \mathbb{E}_{f} (\widehat{Y}) + 2 \operatorname{tr} \mu \mathbb{E}_{f} (\widehat{Y})^{T} \right] \\ &+ \frac{1}{n} \left[-\mu^{T} \mu - \mathbb{E}_{f} (\widehat{Y}) \mathbb{E}_{f} (\widehat{Y})^{T} - 2 \mu^{T} \mathbb{E}_{f} (\widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right] \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \| \mu - \mathbb{E} (\widehat{Y}) \|_{2}^{2} + \operatorname{tr} \operatorname{Var}_{f} (\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_{f} (Y, \widehat{Y}) \right]$$

Classic argument for CV

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Other concerns

References

Training:

$$\begin{aligned} \operatorname{err}(\hat{\mu}) &= \frac{1}{n} \mathbb{E}_f \|Y - \widehat{Y}\|_2^2 \\ &= \frac{1}{n} \left[\operatorname{tr} \Sigma + \|\mu - \mathbb{E}(\widehat{Y})\|_2^2 + \operatorname{tr} \operatorname{Var}_f(\widehat{Y}) - 2 \operatorname{tr} \operatorname{Cov}_f(Y, \widehat{Y}) \right] \end{aligned}$$

Testing:

$$\operatorname{Err}(\hat{\mu}) = \frac{1}{n} \mathbb{E}_f \|Y^* - \widehat{Y}\|_2^2$$

$$= \frac{1}{n} \left[\operatorname{tr} \Sigma + \|\mu - \mathbb{E}(\widehat{Y})\|_2^2 + \operatorname{tr} \operatorname{Var}_f(\widehat{Y}) - 2\operatorname{tr} \operatorname{Cov}_f(Y^*, \widehat{Y}) \right]$$

The difference is the *optimism* (Efron 2004; Rosset and Tibshirani 2020):

$$\operatorname{Opt}(\hat{\mu}) = \operatorname{Err}(\hat{\mu}) - \operatorname{err}(\hat{\mu}) = \frac{2}{n} \operatorname{tr} \operatorname{Cov}_f(Y, \widehat{Y})$$

Apply this to non-iid data

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Other concern

References

• Imagine we have, for $\Sigma_{ii} = \sigma^2$ and $\Sigma_{ij} = \rho \sigma^2$, $i \neq j$

$$\begin{bmatrix} Y_1 \\ Y_2 \end{bmatrix} \sim \mathcal{N} \left(\begin{bmatrix} \mathbf{X} \\ \mathbf{X} \end{bmatrix} \boldsymbol{\beta}, \begin{bmatrix} \mathbf{\Sigma} & \rho \sigma^2 \mathbf{1} \mathbf{1}^T \\ \rho \sigma^2 \mathbf{1} \mathbf{1}^T & \mathbf{\Sigma} \end{bmatrix} \right)$$

• Then, optimism in the training set is:

$$\frac{2}{n}\operatorname{tr}\operatorname{Cov}_f(Y_1,\widehat{Y}_1) = \frac{2}{n}\operatorname{tr}\operatorname{Cov}_f(Y_1,\mathbf{H}Y_1) = \frac{2}{n}\operatorname{tr}\mathbf{H}\operatorname{Var}_f(Y_1) = \frac{2}{n}\operatorname{tr}\mathbf{H}\mathbf{\Sigma}$$

But test set also has nonzero optimism!

$$\frac{2}{n}\operatorname{tr}\operatorname{Cov}_f(Y_2,\widehat{Y}_1) = \frac{2}{n}\operatorname{tr}\operatorname{Cov}_f(Y_2,\mathbf{H}Y_1) = \frac{2\rho\sigma^2}{n}\operatorname{tr}\mathbf{H}\mathbf{1}\mathbf{1}^T = 2\rho\sigma^2$$

One draw as an example

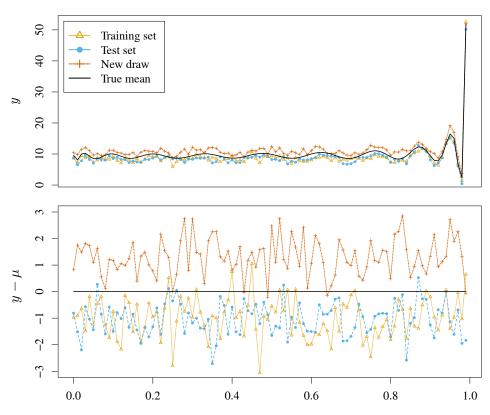
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References

Correlation between observations can pull training and test observations close to one another, but potentially far from an independent draw

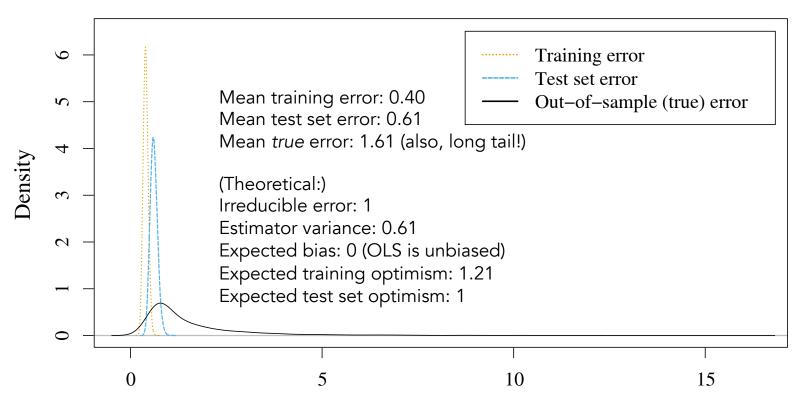


Simulated MSE

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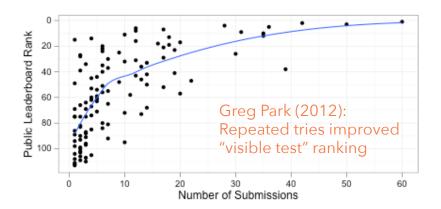
Dependencies and CV: examples

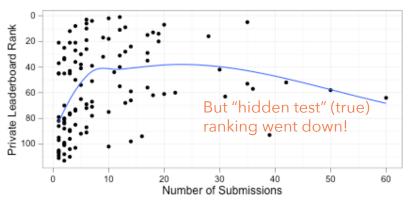
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Other concern

- Highly-cited "Twitter mood predicts the stock market" trains on future values, tests on past values: that is "time-traveling"! (see critique by Lachanski and Pav 2017)
- A colleague of mine trained a model to recognize birds on his windowsill in webcam images, splitting frames randomly...
- Park (2012) has a great example of overfitting to the test set in Kaggle. Having a "private leaderboard" helps catch overfitting in Kaggle (see also Dwork et al. 2015)
 - I agree with Wagstaff (2012) that in research, it's probably not worth having a test set we only use once (do we give up if performance is bad?). But we *should* temper our claims, and do out-of-sample testing





Applying to networks

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The effect of dependencies on machine learning

Other concern

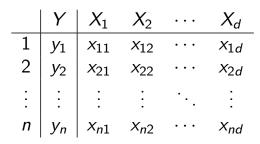
- This formulation would apply to a network autocorrelation model, where network is nuisance parameter
- But what if we are modeling the edges, which represent dependencies between observations?

Modeling the edges

Paper out!

The effect of dependencies on machine learning

Other concerns





| index | from | to | Y | W_1 | W_2 | W_3 | |
|---------------------|------|----|------------------------|------------------------|---------------------|------------------------|-------|
| $\overline{e_1}$ | 1 | 2 | <i>y</i> ₁₂ | $1(x_{11} = x_{21})$ | $x_{12} - x_{22}$ | <i>x</i> ₁₃ | • • • |
| e_2 | 2 | 3 | <i>y</i> 23 | $1(x_{11}=x_{31})$ | $x_{12}-x_{32}$ | <i>X</i> ₁₃ | • • • |
| : | : | : | : | : | : | : | |
| e_{n+1} | 2 | 1 | <i>y</i> 21 | $1(x_{21}=x_{11})$ | $x_{22}-x_{12}$ | <i>X</i> ₂₃ | • • • |
| : | : | : | : | : | : | : | |
| $e_{2\binom{n}{2}}$ | n-1 | n | $y_{(n-1)n}$ | $1(x_{(n-1)1}=x_{n1})$ | $x_{(n-1)2}-x_{n2}$ | $X_{(n-1)3}$ | • • • |

But dyads are dependent too!

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The effect of dependencies on machine learning

Other concerns

References

| Factor graph | Parameter name | Network Motif | Parameterization | Matrix notation | ta v |
|--|---|------------------|---|--|---|
| A _{ji} | -mutual dyads | 00 | $\sum_{i < j} A_{ij} A_{ji}$ | $\frac{1}{2}\operatorname{tr}\left(\mathbf{A}\mathbf{A}^{T}\right)$ | Sniider |
| | in-two-stars | | $\sum_{(i,j,k)} A_{ji} A_{ki}$ | $\mathrm{sum}\left(\boldsymbol{A}\boldsymbol{A}^{T}\right)-\mathrm{tr}\left(\boldsymbol{A}\boldsymbol{A}^{T}\right)$ | given in: |
| A _{ki} | out-two-stars | | $\sum_{(i,j,k)} A_{ij} A_{ik}$ | $\mathrm{sum}\left(\boldsymbol{A}^{T}\boldsymbol{A}\right)-\mathrm{tr}\left(\boldsymbol{A}^{T}\boldsymbol{A}\right)$ | |
| | -geom. weighted out-degrees | _ | $\sum_{i} \exp\left\{-\alpha \sum_{k} A_{ik}\right\}$ | $\operatorname{sum}\left(\exp\{-\alpha \operatorname{rowsum}\left(\mathbf{A}\right)\}\right)$ | specification terms |
| A_{ik} | -geom. weighted in-degrees | _ | $\sum_{j} \exp\left\{-\alpha \sum_{k} A_{kj}\right\}$ | $\operatorname{sum}\left(\exp\{-\alpha\operatorname{colsum}\left(\mathbf{A}\right)\}\right)$ | |
| | -alternating tran- sitive <i>k</i> -triplets | a.a.A | $\lambda \sum_{i,j} A_{ij} \left\{ 1 - \left(1 - \frac{1}{\lambda}\right)^{\sum_{k \neq i,j} A_{ik} A_{kj}} \right\}$ | $\lambda \operatorname{sum}\left(\mathbf{A} \odot \left(1 - \left(1 - \frac{1}{\lambda}\right)^{\mathbf{A}\mathbf{A} - \operatorname{diag}(\mathbf{A}\mathbf{A})}\right)\right)$ | Graphical model and matrix notations for ERGM |
| A_{kj} | -alternating indep. two-paths | ~.A.A | $\lambda \sum_{i,j} \left\{ 1 - \left(1 - \frac{1}{\lambda}\right)^{\sum_{k \neq i,j} A_{ik} A_{kj}} \right\}$ | $\lambda \operatorname{sum} \left(1 - \left(1 - \frac{1}{\lambda} \right)^{\mathbf{A}\mathbf{A} - \operatorname{diag}(\mathbf{A}\mathbf{A})} \right)$ | ions fo |
| | -two-paths (mixed two-stars) | | $\sum_{(i,k,j)} A_{ik} A_{kj}$ | $\mathrm{sum}\left(\mathbf{A}\mathbf{A}\right)-\mathrm{tr}\left(\mathbf{A}\mathbf{A}\right)$ | x notat |
| A _{jk} | -transitive triads | | $\sum_{(i,j,k)} A_{ij} A_{jk} A_{ik}$ | $\mathrm{tr}\left(\mathbf{A}\mathbf{A}\mathbf{A}^{T} ight)$ | d matr |
| ▼k ≠ i, j | -activity effect | 00 | $\sum_i X_i \sum_j A_{ij}$ | $\mathrm{sum}\left(\boldsymbol{X}^{(\cdot)}\mathrm{rowsum}\left(\boldsymbol{A}\right)\right)$ | ne labo |
| (X _j) | -popularity effect | 00 | $\sum_j X_j \sum_i A_{ij}$ | $\mathrm{sum}\left(\boldsymbol{X}^{(\cdot)}\mathrm{colsum}\left(\boldsymbol{A}\right)\right)$ | nical m |
| <i>X_i</i> ∀ <i>i</i> , <i>j</i> : <i>i</i> ≠ <i>j</i> | -similarity effect | 00 | $\sum_{i,j} A_{ij} \left(1 - rac{ X_i - X_j }{max_{k,l} X_k - X_l } ight)$ | $\mathrm{sum}\left(\boldsymbol{A}\left(\cdot\right)\boldsymbol{S}\right)$ | Gran |

Graphical model and matrix notations for ERGM specification terms given in: Snijders et al. 2006. Joint work with Antonis Manousis and Naji Shajarisales, 2018.

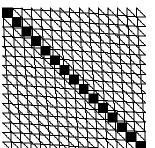
Covariance structure of edges (n = 15)

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The effect of dependencies on machine learning

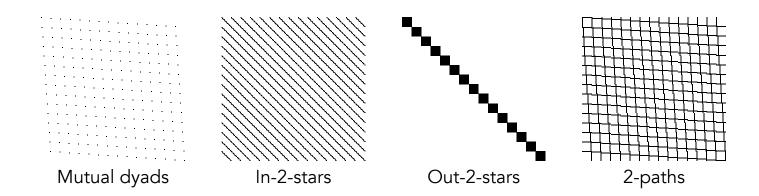
Other concerns

References



Total covariance between dyads

- The pairs of edges that are present together, or aren't present together
- Note: A theoretical construct, since we only see edges once (or once per time slice)



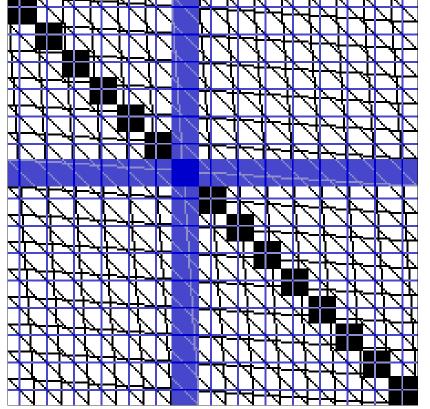
No data split would allow generalizable estimates

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Other concerr

- Partition nodes into training and test sets?
 - Breaks up triads; omitted edges "share" information across training and test (diagram: blue are edges that include node 7)
- Partition dyads?
 - Breaks up nodes; even worse
- Can't eliminate, but can minimize optimism by careful data splitting



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The effect of dependencies on machine learning

Other concerns

Quantification

Bias-variance tradeoff

Explanation vs prediction

Levels of prediction

"Prediction"

Guarantees of what?

Other concerns

Quantification

Bias-variance tradeoff implies a "false" model can 'predict' better than the "true" model

Explanation (correlation) vs. prediction (causation)

Levels of prediction

"Prediction" and other language

Guarantees of what?

OI WHAL!

Quantification and "ways to understand a person" (see Kiviat 2023)

Atemporal

Invisible

Add cases

Fourcade and Healy 2017; Hacking 1990; Porter 1994, 1995; Ricouer 1998; White 1980, 1984". I would add: Abbott 1988

Unimportant

Mathematical

Slide from Barbara Kiviat, based on "Bowker and Star 2000; Bruner 1986; Desrosières 1998; Espeland 1998; Espeland and Stevens 1998, 2008;

Absent (for the most part)

Determined in advance

| | person (see Rivial Loue) | | | | | | |
|---------------|--------------------------|-------------------|---------------------|--|--|--|--|
| Paper out! | | As a case (quant) | In narrative (qual) | | | | |
| The effect of | Context/circumstance | Stripped away | Key | | | | |

on machine learning

Mental states

Other actors

Causal logic

Relevant features

Orientation to time

Ordering of features

Boost predictive validity

Other

Quantification Bias-variance

tradeoff Explanation

vs prediction Levels of

prediction

"Prediction"

of what?

Guarantees

References

Discussion of "A hierarchy of limitations in machine learning"

Slides: https://MominMalik.com/hlrs2024.pdf 23 of 32

Crucial; constitutive

Emergent

Meaningful

Theoretical

Chronological

Often present

Know person better

Unbiased vs. minimizing loss: "True" model can "predict" worse!

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The effect of dependencies on machine learning

Other concerns

Quantification

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Levels of prediction

"Prediction"

Guarantees of what?

References

A linear data-generating process.

$$\mathbf{y} \sim \mathcal{N}\left(\beta_p \mathbf{X}_p + \beta_q \mathbf{X}_q, \sigma^2 \mathbf{I}\right)$$

• Wu et al. (2007): Fitting only \mathbf{X}_{p} has lower expected MSE than fitting the model that generated the data if and only if:

$$\beta_q^T \mathbf{X}_q^T (\mathbf{I}_n - \mathbf{H}_p) \mathbf{X}_q \beta_p < q\sigma^2$$

Simulation: 5 weak covariates, each highly correlated with a strong covariate

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The effect of dependencies on machine learning

Other concerns

Quantification

Bias-variance tradeoff

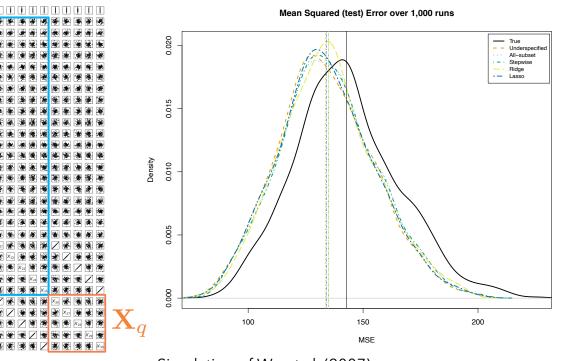
Explanation vs prediction

Levels of prediction

"Prediction"

Guarantees of what?

References



Simulation of Wu et al. (2007)

How the underspecified model, and regularized models, do better

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Other concerns

Quantification

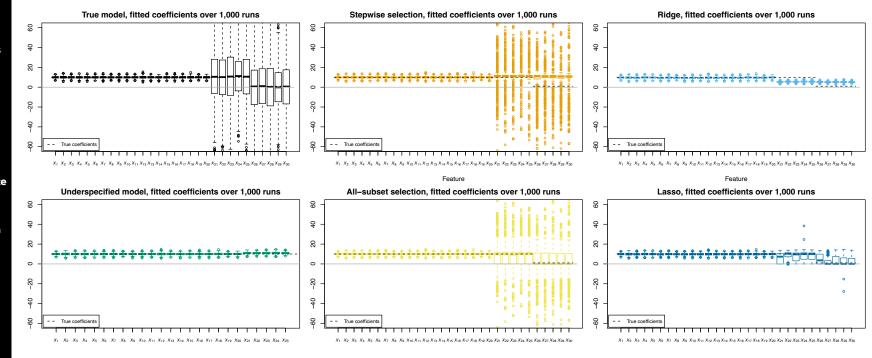
Bias-variance tradeoff

Explanation vs prediction

Levels of prediction

"Prediction"

Guarantees of what?



Explanation (causation) vs. prediction (correlation)

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Other concerns

Quantification

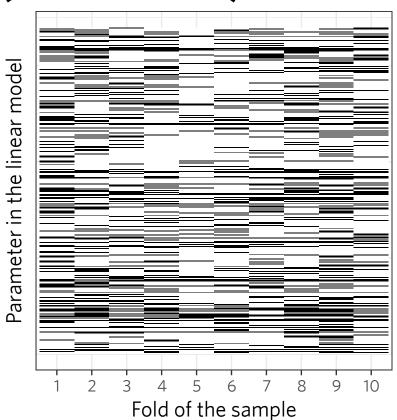
Bias-variance tradeoff

Explanation vs prediction

Levels of prediction

"Prediction"

Guarantees of what?



- Very different sets of correlations can "predict" equally well (Mullainathan and Spiess 2017); Breiman (2001) called this the "Rashomon effect" and saw it as a point in favor of prediction over trying to get at causation
- But if we want to intervene, we need causation

Levels of prediction (Rescher 1998)

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The effect of dependencies on machine learning

Other concerns

Quantification

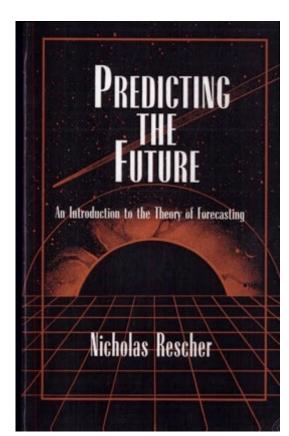
Bias-variance tradeoff

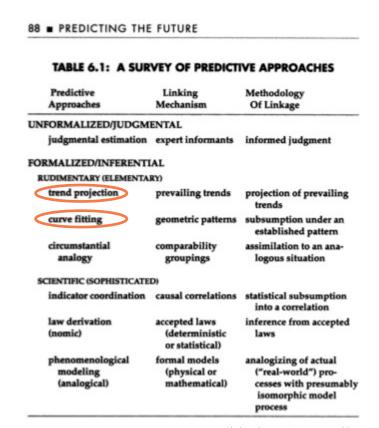
Explanation vs prediction

Levels of prediction

"Prediction"

Guarantees of what?





"Prediction" and other language

Paper out!

The effect of dependencies on machine learning

Other concern

Quantification

Bias-variance tradeoff

Explanation vs prediction

Levels of prediction

"Prediction"

Guarantees of what?

- Communication: stop saying "prediction" if it is really "correlation"
 - **The use of 'prediction' leads to false, inflated expectations.** Instead of saying "prediction" for post-hoc demonstrations (Gayo-Avello 2012), use "retrodiction": it is awkward, but that's what we need. For time series: nowcasting, back-testing (although better language is not enough:
 - Partial correlation (i.e., for "ceteris paribus" interpretations) can be described with "association"
- "Prediction" is overused as it is
 - Statements like "predict the probability of risk", or "calculate the probability of a likelihood" exist and are redundant if not nonsensical (akin to, "a probability of a probability [of a probability]").
 - Probabilities and risks are always latent (and indeed, are hypothetical and metaphysical), so how can we
 "predict" them? We should say that we estimate probabilities and risk (say estimated probabilities, etc.), and
 not overload on synonyms for probability
 - Use "detection" or "classification" if labels are manifest but unknown. E.g., we don't "predict" race; "detecting" and "predicting" cancer imply two very different tasks; etc.
- **Models, not algorithms** (unless you really do mean an optimization algorithm). Why? Specificity: logistic regression is a *model*, IRLS is an algorithm. Random forests are a *model*, CART is an algorithm. And: we already know "all models are wrong" (Box 1979)

Guarantees of what?

Paper out!

The effect of dependencie on machine learning

Other concern

Quantification

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Explanation vs prediction

Levels of prediction

"Prediction"

Guarantee of what?

- The Frequentist-Bayesian issues come back again
- To get information about the world, we want our models to give us $\mathbb{P}(H \mid \mathcal{D})$
- But we want to use methods with frequentist guarantees (e.g., a 95% credible interval, if repeated, will *not* necessarily contain the true value 95% of the time)
- There's no way to get $\mathbb{P}(H \mid \mathcal{D})$ without a prior, and with priors, we don't get frequency guarantees
- No frequency analysis is about the specific situation; it's a property of the *procedure* (including what I did here)

Generalize to what?

Paper out!

The effect of dependencies on machine learning

Other concerns

Quantification

Bias-variance tradeoff

Explanation vs prediction

Levels of prediction

"Prediction"

Guarantees of what?

- If by "generalizability," we mean that a fitted model will apply to very different contexts, probably very few ML models will generalize (at least for the social world)—or at least our theory gives us no guarantees that this will happen
- Our interest is in the quality of predictions that we can make with a specific model, but all our analysis refers to is if the ML procedure will generalize.
- Note that, despite many in ML claiming that it is Bayesian (e.g., Kevin Murphy's textbook), data splitting is a deeply frequentist procedure and so is mainstream ML overall

References

Paper out!

The effect of dependencies on machine learning

Other concerns

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